

### ITEM 1

a) i) Scale, 1cm on map represents 250,000cm on Land.

Map	Land
1cm	: 250,000 cm
1cm <sup>2</sup>	: 250,000 <sup>2</sup> cm <sup>2</sup>
7.36cm <sup>2</sup>	= 250,000 <sup>2</sup> × 7.36cm <sup>2</sup>

Now we convert the 250,000<sup>2</sup> × 7.36cm<sup>2</sup> on Land using the standard scale.

$$\begin{aligned} 1\text{km} &= 100,000\text{cm} \\ 1\text{km}^2 &= 100,000^2\text{cm}^2 \\ 250,000^2 \times 7.36\text{cm}^2 &= \left( \frac{250,000^2 \times 7.36}{100,000^2} \right) \text{km}^2 \\ &= 46\text{km}^2 \end{aligned}$$

∴ The actual area of the swamp is 46km<sup>2</sup>.

a) ii) I recommend the use of an excavator, since the actual area of the swamp is 46km<sup>2</sup> which is greater than 40km<sup>2</sup>.

b) For an excavator, 14 operators are needed each being paid UGX 125,000 per day for two weeks.

$$\begin{aligned} 2\text{weeks} &= 2 \times 7 \\ &= 14\text{days} \end{aligned}$$

$$\begin{aligned} \text{Amount to be paid} &= 14 \times 125,000 \times 14 \\ &= \text{UGX} \cdot 24,500,000 \end{aligned}$$

∴ The operators will be paid UGX 24,500,000 for the period of time that they will spend constructing.

c) Total amount given to the Company = 50,000,000 UGX

$$\begin{aligned} \text{Balance after operators expense} &= \text{UGX} \cdot 50,000,000 \\ &\quad - \text{UGX} \cdot 24,500,000 \\ &= \text{UGX} \cdot 25,500,000 \end{aligned}$$

Construction company share = 40% of 25,500,000 for operation.

$$\begin{aligned} &= \frac{40}{100} \times 25,500,000 \\ &= \text{UGX} \cdot 10,200,000 \end{aligned}$$

Maintenance and repairs = 18% of 25,500,000

$$\begin{aligned} &= \frac{18}{100} \times 25,500,000 \\ &= \text{UGX} \cdot 4,590,000 \end{aligned}$$

Executive Director = 25,500,000 - (10,200,000 + 4,590,000)

$$= 25,500,000 - 14,790,000$$

$$= \text{UGX} \cdot 10,710,000$$

Extra money to the Executive Director = 10,710,000 - 10,200,000

$$= \text{UGX} \cdot 510,000$$

∴ The executive Director got the biggest share of UGX 10,710,000 than the construction company's operations share of UGX 10,200,000 by UGX 510,000.

### ITEM 2a)

$$\text{Men : women} = 5 : 4 \quad \text{Total children} = 224$$

$$\text{women ; children} = 3 : 7$$

$$\frac{\text{men}}{\text{women}} = \frac{5}{4} \quad , \quad \frac{\text{women}}{\text{children}} = \frac{3}{7}$$

Using equivalent fractions

$$\frac{\text{men}}{\text{women}} = \frac{5 \times 3}{4 \times 3} = \frac{15}{12} \quad , \quad \frac{\text{women}}{\text{children}} = \frac{3 \times 4}{7 \times 4} = \frac{12}{28}$$

$$\Rightarrow \text{Men : women : children} = 15 : 12 : 28$$

Let the total number of visitors be  $x$

$$\text{Total ratio} = 15 + 12 + 28 \\ = 55$$

$$\frac{28}{55} \text{ of } x = 224$$

$$28x = 224 \times 55$$

$$\frac{28x}{28} = \frac{12320}{28}$$

$$x = 440$$

$$\text{Total number of visitors} = 440$$

$$\begin{array}{l|l} \text{Men} = \frac{15}{55} \times 440 & \text{women} = \frac{12}{55} \times 440 \\ \hline = 120 & = 96 \end{array}$$

$$\text{Total of men and women} = 120 + 96 \\ = 216$$

$\therefore$  The total number of men and women who visited the camping site that day were 216.

$$2b) \text{ Adult ticket} = \text{UGX} \cdot 30,000$$

$$\text{Children ticket} = \frac{1}{2} \times 30,000 \\ = \text{UGX} \cdot 15,000$$

$$\text{Total amount collected from adult tickets} = 30,000 \times 216 \\ = \text{UGX} \cdot 6,480,000$$

$$\text{Total amount collected from children tickets} = 15,000 \times 224 \\ = \text{UGX} \cdot 3,360,000$$

$$\text{Total amount} = 6,480,000 + 3,360,000 \\ = \text{UGX} \cdot 9,840,000$$

$\therefore$  The total amount collected by the camping site on that day was 9,840,000.

$$2c) \text{ cost of children ticket in 2024} = \text{UGX} \cdot 15,000$$

$$\text{Percentage sold for 2025} = 100 - 20 \\ = 80\%$$

$$\text{cost of the children ticket in 2025} = \frac{80}{100} \times 15,000 \\ = \text{UGX} \cdot 12,000$$

Alternatively

$$\text{In 2024, cost of children ticket} = 15,000$$

$$\text{Amount removed} = \frac{20}{100} \times 15,000 \\ = \text{UGX} \cdot 3,000$$

$$\text{cost of the children ticket in 2025} = 15,000 - 3,000 \\ = \text{UGX} \cdot 12,000$$

$\therefore$  The cost of the tickets for children in 2025 is UGX · 12,000.

### ITEM 3

3a) Total amount accumulated = UGX 7,080,000.

$$\text{Total ratio} = 7+3 = 10$$

$$\begin{aligned} \text{David's amount} &= \frac{7}{10} \times 7,080,000 & \text{Mark's amount} \\ &= \text{UGX } 4,956,000 & = 7,080,000 - 4,956,000 \\ & & = \text{UGX } 2,124,000 \end{aligned}$$

$$\begin{aligned} \text{Amount Mark gives David} &= 0.4 \times 2,124,000 \\ &= \text{UGX } 849,600 \end{aligned}$$

∴ Mark will give David shs. ~~1,982,400~~ 849,600 of the savings

3b) i) Initial stock: 252 apples, 210 oranges, 294 pears  
We find the GCF of the fruits.

2	252	210	294
3	126	105	147
7	42	35	49
	6	5	7

$$\begin{aligned} \text{GCF} &= 2 \times 3 \times 7 \\ &= 42 \end{aligned}$$

∴ David and Mark can create 42 boxes from the fruits they have.

$$\begin{aligned} \text{3b ii) Number of apples in each box} &= \frac{252}{42} \\ &= \underline{6 \text{ apples}} \end{aligned}$$

$$\begin{aligned} \text{Number of oranges in each box} &= \frac{210}{42} \\ &= \underline{5 \text{ apples/oranges}} \end{aligned}$$

$$\text{Number of pears in each box} = \frac{294}{42}$$

$$= \underline{7 \text{ pears}}$$

∴ The ratio of apples : oranges : pears is 6 : 5 : 7 respectively.

3c) Average monthly profit = UGX 1,800,000.

$$\text{Rate} = 12\%$$

$$= \frac{12}{100}$$

$$= \underline{0.12}$$

$$t = 3 \text{ years}$$

$$A = P(1+r)^t$$

$$A = 1,800,000 (1+0.12)^3$$

$$A = 1,800,000 (1.12)^3$$

$$A = 2,528,870.4$$

Their expected monthly profit in 3 years will be UGX 2,528,870.4.

### ITEM 4

4a) Let the length of the garden be  $L$  and the width be  $w$ .

$$\begin{array}{|c} \hline L \\ \hline \text{Area} = 48\text{m}^2 \\ \text{Perimeter} = 38\text{m} \\ \hline L \\ \hline L \times w = \text{Area} \\ Lw = 48 \end{array}$$

$$\begin{aligned} 2(L+w) &= \text{Perimeter} \\ 2(L+w) &= 38 \\ L+w &= 19 \\ L &= 19-w \end{aligned}$$

$$\begin{aligned} Lw &= 48 \\ w(19-w) &= 48 \\ 19w - w^2 &= 48 \\ w^2 - 19w + 48 &= 0 \end{aligned}$$

$$w = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$w = \frac{-(-19) \pm \sqrt{(19)^2 - 4 \times 1 \times 48}}{2 \times 1}$$

$$w = \frac{19 \pm \sqrt{169}}{2}$$

$$w = \frac{19 \pm 13}{2}$$

$$\text{either } w = \frac{19+13}{2} = 16\text{m} \text{ OR } w = \frac{19-13}{2} = 3\text{m}$$

$$\begin{aligned} \text{For } w = 16\text{m}, L &= 19 - 16 = 3\text{m} \\ \text{For } w = 3\text{m}, L &= 19 - 3 = 16\text{m} \end{aligned}$$

$\therefore$  The length and width of the garden are 16m and 3m respectively.

4b) Let the space ( $\text{m}^2$ ) occupied by one bag of corn be  $x$  and space ( $\text{m}^2$ ) occupied by one bag of soya beans be  $y$ .

First planting season, 2 bags of corn, 8 bags of soya beans to cover  $80\text{m}^2$

Second planting season, 5 bags of corn, 4 bags of soya beans to cover  $70\text{m}^2$ .

$$2x + 8y = 80 \quad \dots \textcircled{1}$$

$$5x + 4y = 70 \quad \dots \textcircled{2}$$

using equation  $\textcircled{1}$ ,  $2x + 8y = 80$

$$\frac{2x}{2} = \frac{80 - 8y}{2}$$

$$x = 40 - 4y \quad \dots \textcircled{3}$$

Substituting  $\textcircled{3}$  in  $\textcircled{2}$

$$5x + 4y = 70$$

$$5(40 - 4y) + 4y = 70$$

$$200 - 20y + 4y = 70$$

$$200 - 16y = 70$$

$$\frac{16y}{16} = \frac{130}{16}$$

$$y = 8.125\text{m}^2$$

$$x = 40 - 4y$$

$$x = 40 - 4(8.125)$$

$$x = 40 - 32.5$$

$$x = 7.5\text{m}^2$$

$\therefore$  Each bag of corn requires  $7.5\text{m}^2$  of space and Each bag of soya beans requires  $8.125\text{m}^2$ .

$$\begin{aligned} 4c) \text{Total space this season} &= 6x + 3y \\ &= 6 \times 7.5 + 3 \times 8.125 \\ &= 45 + 24.375 \\ &= 69.375\text{m}^2 \end{aligned}$$

$\therefore 69.375\text{m}^2$  of space will be used for planting in this season.

## ITEM 5

Let the number of maize seed sacks be  $x$ .  
" " " " G-nut seed sacks be  $y$ .

(a) (i) - At least 3 sacks of maize:

$$x \geq 3$$

- Not more than 8 sacks of G-Nuts:

$$y \leq 8$$

- less than 12 sacks altogether:

$$x + y < 12$$

- G-Nut sacks more than three-quarters of maize sacks:

$$y > \frac{3}{4}x$$

The mathematical inequalities are;

$$x \geq 3$$

$$y \leq 8$$

$$x + y < 12$$

$$y > \frac{3}{4}x$$

$$x \geq 0$$

$$y \geq 0$$

(b) Inequality ① -  $x \geq 3$

Boundary line,  $x = 3$

Test point = (2, 2)

$$x \geq 3$$

$$2 \geq 3 \text{ FALSE}$$

Inequality ② -  $y \leq 8$

Boundary line,  $y = 8$

Test point

Inequality (3) —  $x + y < 12$

Boundary line,  $x + y = 12$

Intercepts:

x	y	
0	12	(0, 12)
12	0	(12, 0)

Test point = (5, 2)

$$x + y < 12$$

$$(5) + (2) < 12$$

$$7 < 12 \text{ TRUE}$$

Inequality (4) —  $y \geq \frac{3}{4}x$

Boundary line,  $y = \frac{3}{4}x$

x	y	
4	3	(4, 3)
12	9	(12, 9)

Test point = (5, 5)

$$y > \frac{3}{4}x$$

$$(5) > \frac{3}{4}(5)$$

$$5 > \frac{15}{4} \text{ TRUE}$$

Objective function =  $x + y$

Point	Objective function, $x + y$	Total
(3, 8)	(3) + (8)	11
(3, 3)	(3) + (3)	6
(5, 6)	(5) + (6)	11
(4, 7)	(4) + (7)	11
(6, 5)	(6) + (5)	11

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# UGANDA NATIONAL EXAMINATIONS BOARD

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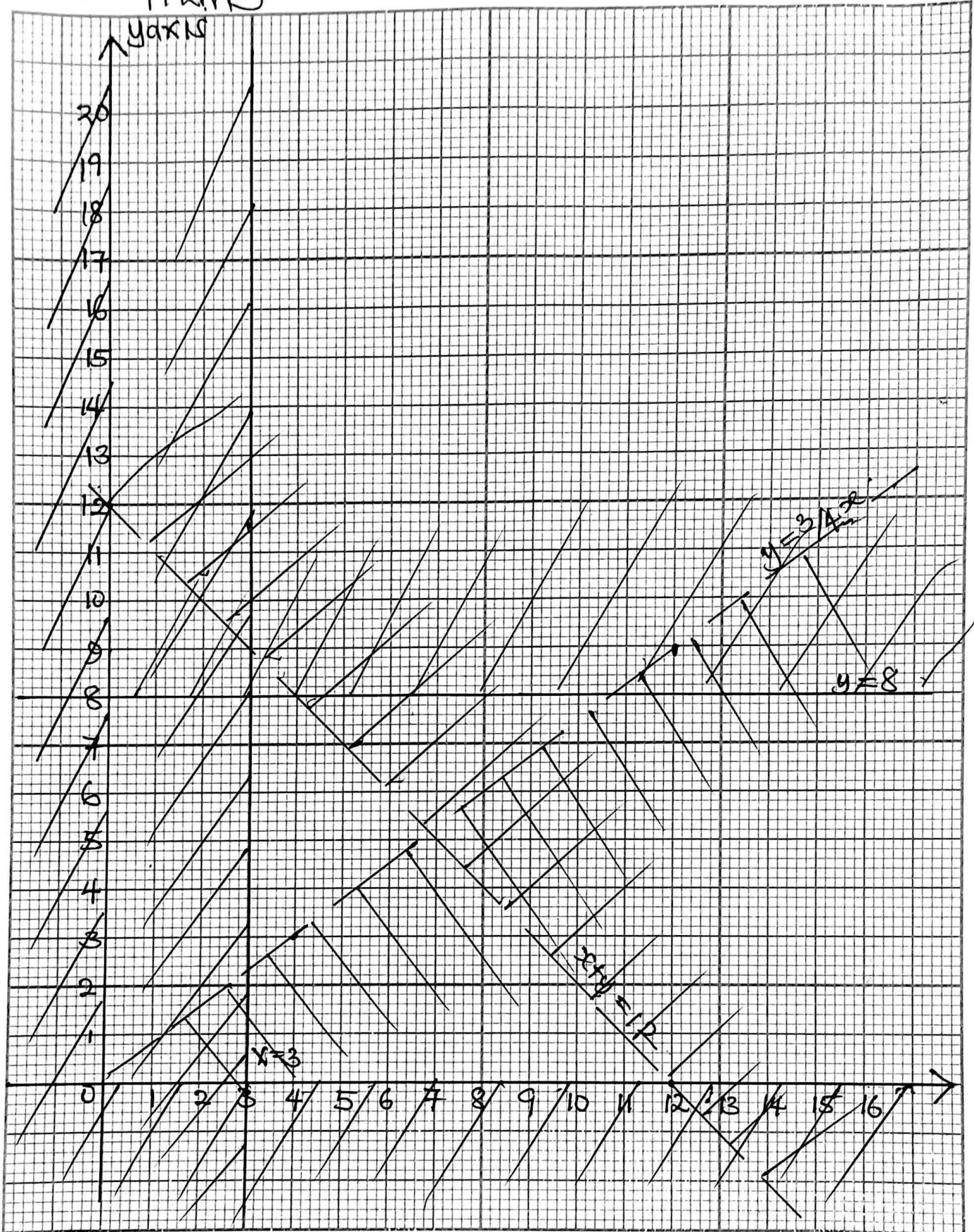
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## ITEM 6

a) From Maya's Past Packaging:

- 48 books used 2m tape

$$\text{Tape per Book} = \frac{2}{48} = 0.0417 \text{ m/Book}$$

- 168 books used 7m tape

$$\text{Tape per Book} = \frac{7}{168} = 0.0417 \text{ m/Book}$$

So, the relationship is;

$$\text{Packing Tape Used} = 0.0417 \times \text{Number of Books}$$

$$\text{b) Amount of Packing tape used} = 0.0417 \times \text{Number of Books}$$

$$= 0.0417 \times 200$$

$$= 8.34 \text{ m}$$

The total tape needed to package 200 books is 8.34m.

(c) The number of cardboard boxes be  $x$  and number of paper wraps be  $y$ .

- Books in cardboard boxes more than paper wraps;  
 $x > y$

- Cardboard boxes not more than 100;  
 $x \leq 100$

- Paper wraps at least 60;

$$y \geq 60$$

- Total books not more than 200;

$$x + y \leq 200$$

The mathematical inequalities are;

$$x > y$$

$$x \leq 100$$

$$y \geq 60$$

$$x + y \leq 200$$

For inequality ① -  $x > y$ .

Boundary line,  $x = y$

Test point = (20, 40)

$$20 > 40 \text{ FALSE}$$

For inequality ② -  $x \leq 100$

Boundary line,  $x = 100$

Test point = (80, 20)

$$80 \leq 100 \text{ TRUE}$$

For inequality ③ -  $y \geq 60$ .

Boundary line,  $y = 60$

Test point = (80, 40)

$$40 \geq 60 \text{ FALSE}$$

For inequality ④ -  $x + y \leq 200$

Boundary line,  $x + y = 200$

Intercepts:

x	y
0	200
200	0

(d) Objective function =  $x + y$ .

Point	Objective function = $x + y$	Total
(100, 60)	(100) + (60)	160
(100, 80)	(100) + (80)	180
(58, 62)	(58) + (62)	120
(72, 72)	(72) + (72)	144

The maximum number of card board boxes are 100 and paper wraps are 80, they can use.

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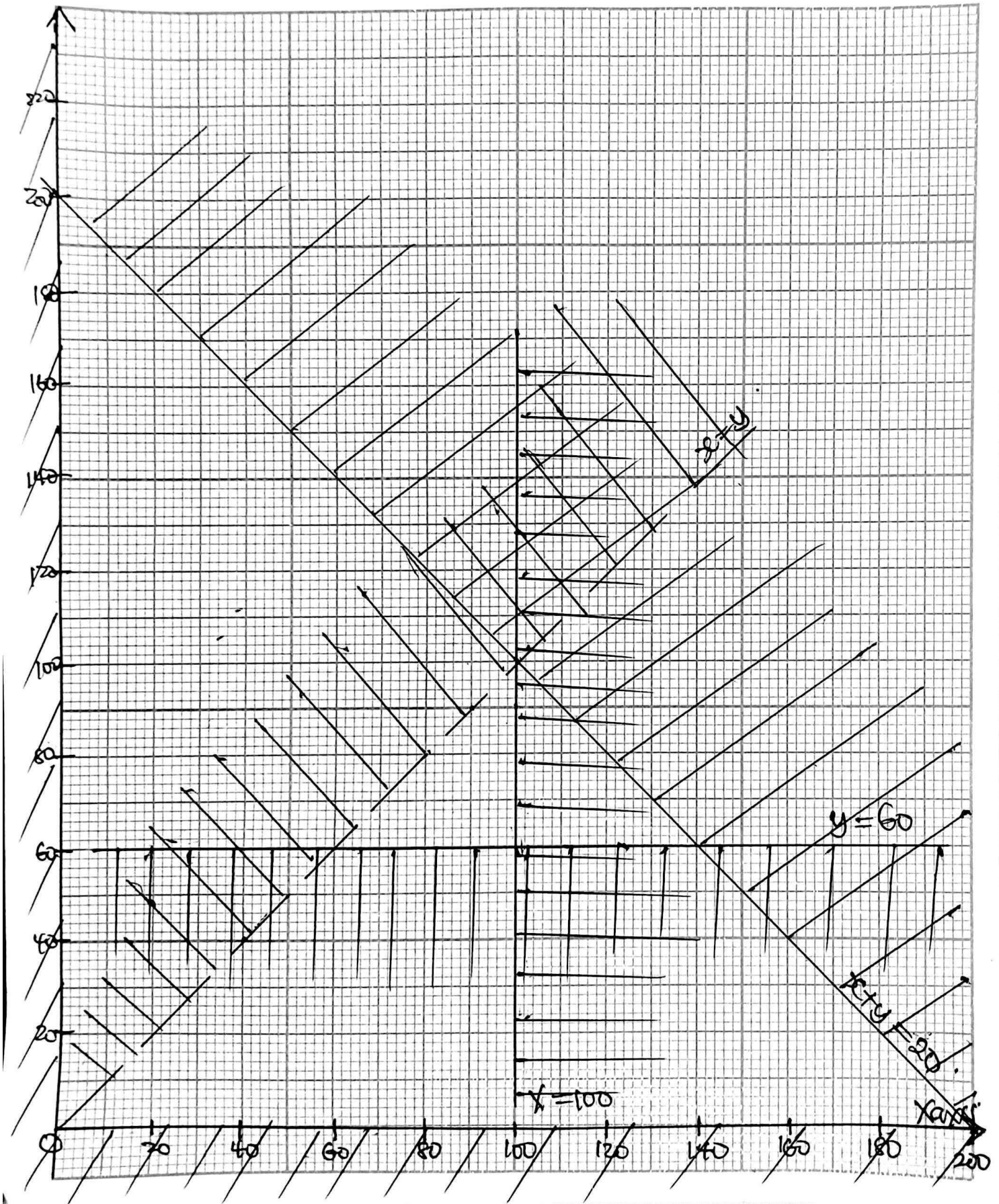
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### ITEM 7

7a) Supplies:

	posters	markers	stickers	Banner	cost
Liam	6	5	3	1	6500
Emma	7	4	2	0	1000
Noah	4	4	0	1	500
					3500

A matrix showing the supplies purchased by students

$$\begin{pmatrix} 6 & 5 & 3 & 1 \\ 7 & 4 & 2 & 0 \\ 4 & 4 & 0 & 1 \end{pmatrix} 3 \times 4$$

A matrix showing the costs of the supplies purchased

$$\begin{pmatrix} 6500 \\ 1000 \\ 500 \\ 3500 \end{pmatrix} 4 \times 1$$

a) ii)

$$\begin{matrix} P & M & S & B \\ \begin{pmatrix} 6 & 5 & 3 & 1 \\ 7 & 4 & 2 & 0 \\ 4 & 4 & 0 & 1 \end{pmatrix} & P & M & S & B \\ & \begin{pmatrix} 6500 \\ 1000 \\ 500 \\ 3500 \end{pmatrix} & & & \end{matrix}$$

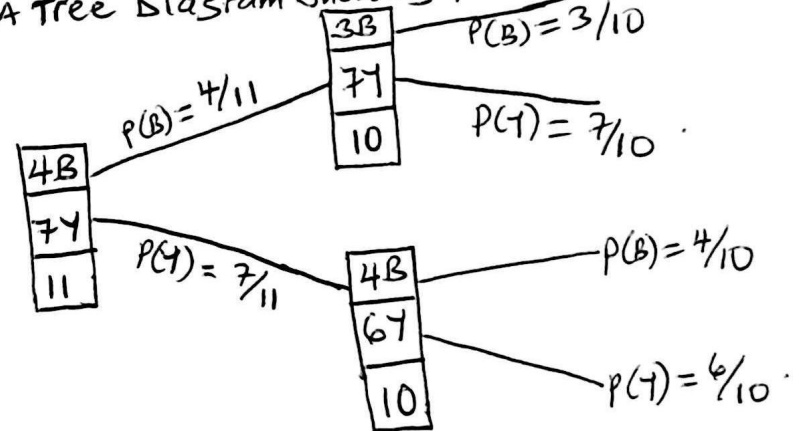
$$= \begin{pmatrix} 6 \times 6500 + 5 \times 1000 + 3 \times 500 + 1 \times 3500 \\ 7 \times 6500 + 4 \times 1000 + 2 \times 500 + 0 \times 3500 \\ 4 \times 6500 + 4 \times 1000 + 0 \times 500 + 1 \times 3500 \end{pmatrix}$$

$$= \begin{pmatrix} 49,000 \\ 50,500 \\ 33,500 \end{pmatrix}$$

$$\begin{aligned} \text{Total cost} &= 49,000 + 50,500 + 33,500 \\ &= \text{UGX} \cdot 133,000 \end{aligned}$$

\(\therefore\) The total cost of their items to be used in the club is 133000 K.

7b). Let the probability of picking a blue marble and a yellow marble be  $P(B)$  and  $P(Y)$  respectively. A Tree Diagram showing picking by Noah.



$$\begin{aligned} P(\text{Marbles of different colours}) &= P(B \cap Y) + P(Y \cap B) \\ &= \frac{4}{11} \times \frac{7}{10} + \frac{7}{11} \times \frac{4}{10} \\ &= \frac{28}{110} + \frac{28}{110} \\ &= \frac{56}{110} \text{ or } 0.5091 \text{ or } \frac{28}{55} \end{aligned}$$

\(\therefore\) The probability that Noah wins the game and gets to go for shopping is  $\frac{56}{110}$  since it represents the probability of picking 2 marbles of diff colours.

# ITEM 8

A Frequency Distribution Table.

(a)

Class Limits	Class Boundary	Mid point (x)	Frequency (f)	Tally	fx	Cf
20-29	19.5-29.5	24.5	4		98	4
30-39	29.5-39.5	34.5	5		172.5	9
40-49	39.5-49.5	44.5	8		356	17
50-59	49.5-59.5	54.5	12	 	654	29
60-69	59.5-69.5	64.5	10		645	39
70-79	69.5-79.5	74.5	6		447	45
80-89	79.5-89.5	84.5	5		422.5	50
			$\Sigma f = 50$		$\Sigma fx = 2795$	

(b) Half of the farmers =  $\frac{1}{2}N$ .

$$= \frac{1}{2} \times 50$$

$$= 25^{\text{th}} \text{ value.}$$

$$\begin{aligned} \text{Number of bags} &= 49.5 + 7 \times 1 \\ &= 56.5 \text{ bags.} \end{aligned}$$

Half of the farmers harvested above 57 bags of maize.

(c) There 13 Farmers who harvested 44.5 bags or below

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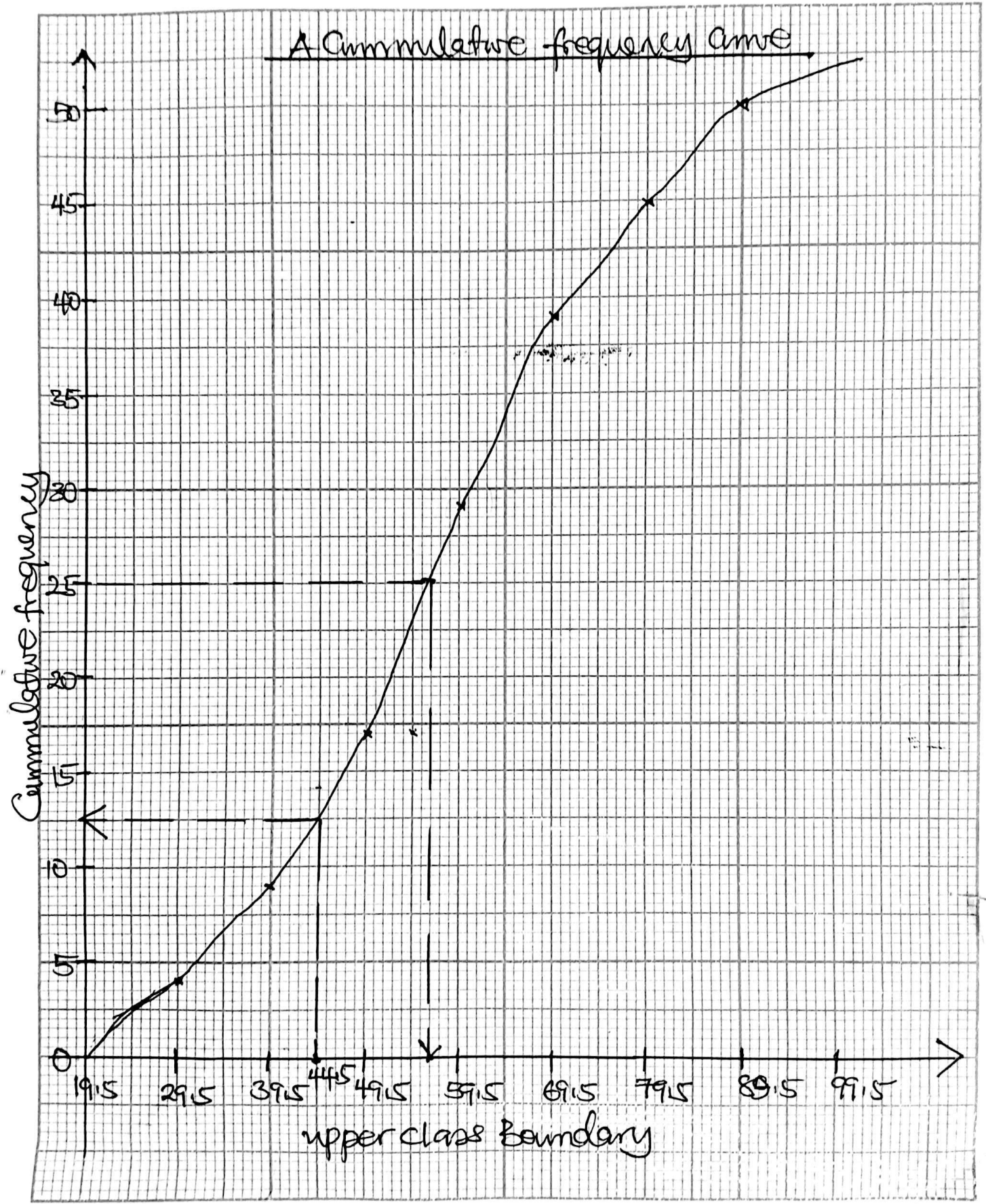
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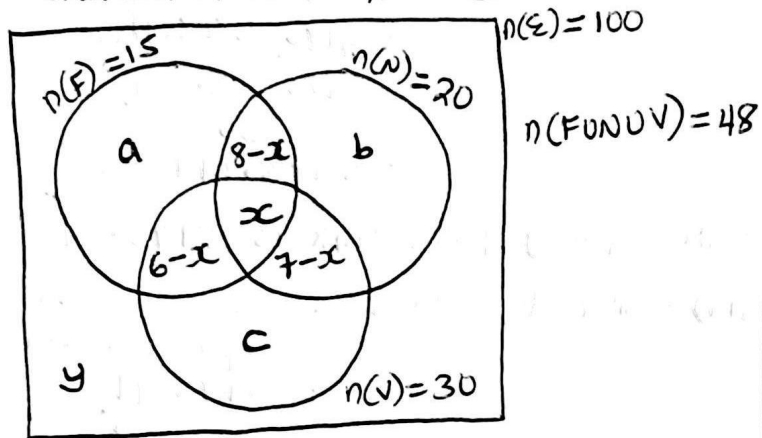
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### ITEM 9a)

A Venn diagram showing students who participated and won in three different games.



For  $n(F)$

$$\begin{aligned} a + 8 - x + x + 6 - x &= 15 \\ a - x + 14 &= 15 \\ a &= 1 + x \end{aligned}$$

For  $n(W)$

$$\begin{aligned} b + 8 - x + x + 7 - x &= 20 \\ b - x + 15 &= 20 \\ b &= 5 + x \end{aligned}$$

For  $n(V)$

$$\begin{aligned} c + 6 - x + x + 7 - x &= 30 \\ c - x + 13 &= 30 \\ c &= 17 + x \end{aligned}$$

$$n(F \cup W \cup V) = 48$$

$$\begin{aligned} a + 8 - x + x + 6 - x + b + 7 - x + c &= 48 \\ 1 + x + 8 - x + x + 6 - x + 5 + x + 7 - x + 17 + x &= 48 \\ 44 + x &= 48 \\ x &= 48 - 44 \\ x &= 4 \end{aligned}$$

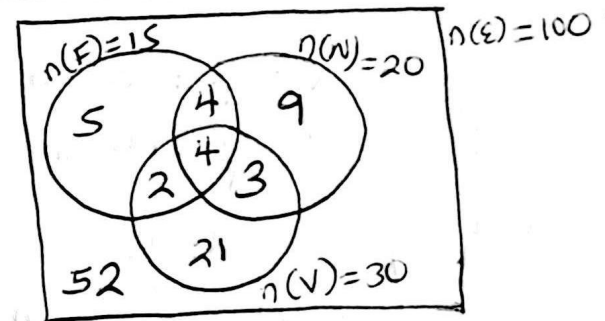
For value of  $y$

$$\begin{aligned} y + 48 &= 100 \\ y &= 100 - 48 \\ y &= 52 \end{aligned}$$

$$\begin{aligned} a &= 1 + x \\ a &= 1 + 4 \\ a &= 5 \end{aligned}$$

$$\begin{aligned} b &= 5 + x \\ b &= 5 + 4 \\ b &= 9 \end{aligned}$$

$$\begin{aligned} c &= 17 + x \\ c &= 17 + 4 \\ c &= 21 \end{aligned}$$



∴ 52 students will not receive money from the headteacher since they did not win any game.

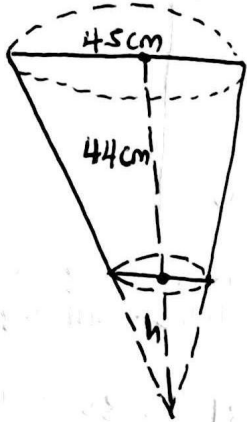
$$\begin{aligned} 9b) \quad n(\text{only one game}) &= 5 + 9 + 21 = 35 \text{ students} \\ n(\text{only two games}) &= 2 + 4 + 3 = 9 \text{ students} \\ n(\text{only three games}) &= 4 \text{ students} \end{aligned}$$

$$\begin{aligned} \text{Amount to be organized by the Head teacher} &= (35 \times 10,000) + (9 \times 20,000) + (4 \times 30,000) \\ &= 350,000 + 180,000 + 120,000 \\ &= 650,000 \end{aligned}$$

∴ The headteacher should organize 650,000 for prizing those who fall in the categories he mentioned.

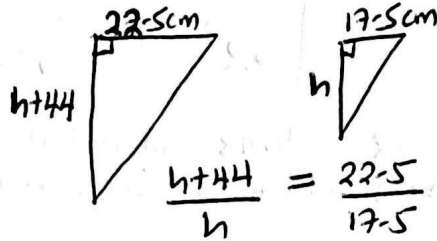
ITEM 10

10a) i)



$$R = \frac{45}{2} = 22.5 \text{ cm}$$

$$r = \frac{35}{2} = 17.5 \text{ cm}$$



$$17.5(h+44) = 22.5h$$

$$17.5h + 770 = 22.5h$$

$$5h = 770$$

$$\frac{5h}{5} = \frac{770}{5}$$

$$h = 154 \text{ cm}$$

Volume of container = volume of larger cone - volume of smaller cone

$$= \frac{1}{3} \pi R^2 H - \frac{1}{3} \pi r^2 h$$

$$= \frac{1}{3} \pi \times 22.5^2 \times (154+44) - \frac{1}{3} \pi \times 17.5^2 \times 154$$

$$= 55,580.010 \text{ cm}^3$$

$$= \frac{55,580.010}{1000}$$

$$= \underline{55.580 \text{ Litres}}$$

∴ The capacity of the container is 55.580 litres.

a) ii) capacity of tank =  $\pi r^2 h$

$$= \pi \times \left(\frac{210}{2}\right)^2 \times 150$$

$$= 5,195,408.851 \text{ cm}^3$$

$$= \frac{5,195,408.851}{1000}$$

$$= \underline{5,195.41 \text{ litres}}$$

$$210 \text{ m} = 210 \times 100$$

$$= 21000$$

$$1.5 \text{ m} = 1.5 \times 100$$

$$= 150 \text{ cm}$$

∴ The capacity of the tank is 5195.41 litres

a) iii) Number of buckets =  $\frac{\text{Capacity of the tank}}{\text{Capacity of the container}}$

$$= \frac{5195.41}{55.580}$$

$$= 93.476$$

$$\approx 94 \text{ buckets}$$

∴ 94 buckets must be drawn to fill the tank.

b) i)  $\frac{A}{B} = \frac{3}{2}, \frac{B}{C} = \frac{1}{2}$

Using equivalent fractions

$$\frac{A}{B} = \frac{3}{2}, \frac{B}{C} = \frac{1 \times 2}{2 \times 2} = \frac{2}{4}$$

$$A:B:C = 3:2:4$$

$$\text{Total ratio} = 3+2+4 = 9$$

For A	For B	For C
$\frac{3}{9} \times 360 \text{ Litres}$	$\frac{2}{9} \times 360$	$\frac{4}{9} \times 360$
$= 120 \text{ Litres}$	$= 80 \text{ L}$	$= 160 \text{ L}$

The amount of A, B and C are 120L, 80L, 160L respectively.

b) ii) Amount of money needed

$$= (120 \times 1800) + (80 \times 2400)$$

$$+ (160 \times 1275)$$

$$= \text{UGX } 612,000$$

∴ UGX 612,000 is needed to make the mixture.

b) iii) % Profit =  $\frac{\text{Profit}}{\text{Cost Price}} \times 100\%$

$$= \frac{(2210 \times 360) - 612,000}{612,000} \times 100$$

$$= \frac{199,560}{612,000} \times 100$$

$$= 30\%$$

## ITEM 11

$$11a) A = P(1 - \frac{r}{100})^t$$

$$A = 12,500,000 (1 - \frac{10}{100})^3$$

$$A = 12,500,000 (0.9)^3$$

$$A = \text{UGX } 9,112,500$$

AKISO's car will be worth UGX 9,112,500 by January 2020

$$11b) i) 1 \text{ Swiss Franc} = 1.28 \text{ Deutsche Marks}$$

$$x = 54 \text{ Deutsche Marks}$$

$$x = \frac{54}{1.28}$$

$$x = 42.1875 \text{ Swiss Francs}$$

∴ The watch is worth 42.1875 Swiss Francs

$$11b) ii) 1 \text{ Swiss Franc} = 1350 \text{ Uganda shillings}$$

$$42.1875 \text{ Swiss Francs} = (42.1875 \times 1350) \text{ UGX}$$

$$= \text{UGX } 56,953.125$$

∴ The watch is worth UGX 56,953.125

11c) Marriage

Water and electricity

Housing allowance

Medical allowance =  $300,000 \div 12$

Transport allowance =  $3000 \times 30$

Insurance and relief =  $180,000 \div 12$

Children (0-10) =  $12,000 \times 2$

Children (10-15) =  $9,000 \times 1$

= 50,000 F

= 60,000 F

= 150,000 F

= 25,000 F

= 90,000 F

= 15,000 F

= 24,000 F

= 9,000 F

$$\begin{aligned} \text{Total Allowance} &= 50,000 + 60,000 + 150,000 + 25,000 + \\ & 90,000 + 15,000 + 24,000 + 9,000 \\ &= \text{UGX } 423,000 \end{aligned}$$

$$\begin{aligned} \text{Taxable Income} &= \text{Gross Income} - \text{Allowances} \\ &= 760,000 - 423,000 \\ &= \text{UGX } 337,000 \end{aligned}$$

Income (shs) Per month	Rate	Income tax
1 - 50,000	$\frac{5}{100} \times 50,000$	2,500 F
50,001 - 100,000	$\frac{9}{100} \times 50,000$	4,500 F
100,001 - 150,000	$\frac{15}{100} \times 80,000$	12,000 F
150,001 - 300,000	$\frac{18}{100} \times 120,000$	21,600 F
300,001 - 337,000	$\frac{23}{100} \times 37,000$	8,510 F
<b>TOTAL</b>		<b>UGX 49,110</b>

$$\begin{aligned} \text{Net Income} &= \text{Gross Income} - \text{Income Tax} \\ &= 760,000 - 49,110 \\ &= \text{UGX } 710,890 \end{aligned}$$

∴ AKISO's net income is UGX 710,890

$$\begin{aligned} 11d) \text{ Percentage} &= \frac{\text{Income tax}}{\text{Gross Income}} \times 100\% \\ &= \frac{49,110}{760,000} \times 100\% \\ &= 6.46\% \end{aligned}$$

∴ 6.46% of AKISO's Gross Income goes to tax.

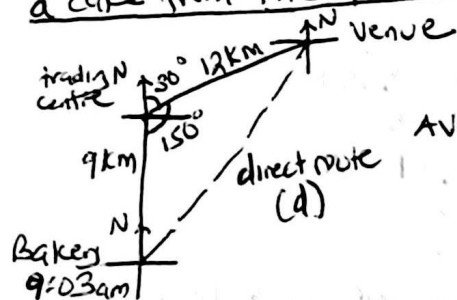
## ITEM 12

- a) Base Area of the cake =  $445.06 \text{ cm}^2$ .  
 Height of the cake =  $29.5 \text{ cm}$ .  
 Capacity of the cake = Base Area  $\times$  Height  
 $= 445.06 \times 29.5$   
 $= 13,129.27 \text{ cm}^3$ .  
 $\therefore$  The capacity of the cake is  $13,129.27 \text{ cm}^3$ .

- b) For capacity of the cake box.  
 Diameter =  $26 \text{ cm}$ ,  $r = \frac{26}{2}$   
 Height =  $32 \text{ cm}$ ,  $r = 13 \text{ cm}$ .  
 Capacity of the cake box =  $\pi r^2 h$   
 $= \pi \times 13^2 \times 32$   
 $= 16,989.73 \text{ cm}^3$ .

The cake will fit in the cake box since its capacity is  $13,129.27 \text{ cm}^3$  which is less than the capacity of the cake box  $16,989.73 \text{ cm}^3$ .

- c) A sketch showing the transportation route of a cake from the factory to the venue.



$$\text{Average Speed} = \frac{\text{TOTAL Distance}}{\text{TOTAL time}}$$

$$\frac{15}{1} = \frac{9+12}{t}$$

$$15t = 21$$

$$t = \frac{21}{15} \text{ hrs}$$

$$t = \frac{21}{15} \times 60 \text{ minutes}$$

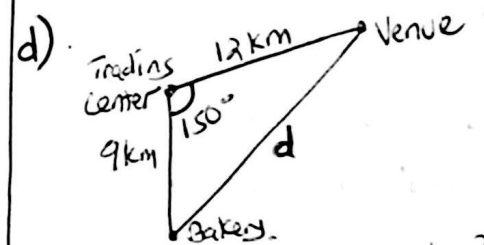
$$t = 84 \text{ minutes}$$

$$t = 1 \text{ hour and } 24 \text{ minutes}$$

$$\begin{array}{r} \text{Time of arrival} = 9:03 \\ \text{at the venue} \quad + 1:24 \\ \hline 10:27 \text{ am} \end{array}$$

$$\begin{array}{r} \text{Expected arrival} = 10:20 \\ \text{Extra minutes} = 10:27 \\ \quad \quad \quad - 10:20 \\ \hline 00:07 \end{array}$$

$\therefore$  The service provider will arrive at the venue at 10:27 am and thus will not deliver the cake on time since the function will have started already at 10:20 am. She will be 7 minutes late.



Using the cosine Rule,  $a^2 = b^2 + c^2 - 2bc \cos A$

$$d^2 = 9^2 + 12^2 - 2 \times 9 \times 12 \cos 150^\circ$$

$$d^2 = 81 + 144 - 137.0615$$

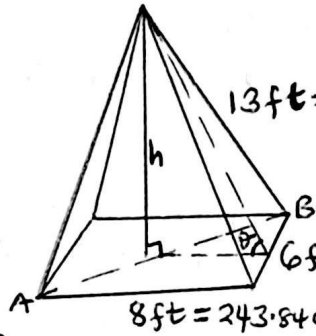
$$\sqrt{d^2} = \sqrt{412.0615}$$

$$d = 20.2993 \text{ km}$$

$\therefore$  The distance of the direct route from the venue to the Bakery is  $20.2993 \text{ km}$ .

ITEM 13

13a)



$$13 \text{ ft} = 396.24 \text{ cm}$$

$$8 \text{ ft} = 8 \times 30.48 \text{ cm} = 243.84 \text{ cm}$$

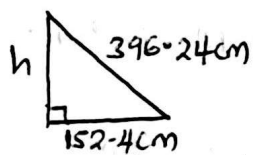
$$6 \text{ ft} = 6 \times 30.48 \text{ cm} = 182.88 \text{ cm}$$

$$\overline{AB}^2 = 243.84^2 + 182.88^2$$

$$\sqrt{\overline{AB}^2} = \sqrt{92903.04}$$

$$\overline{AB} = 304.8 \text{ cm}$$

Half of the Diagonal  $\overline{AB} = \frac{304.8}{2} = 152.4 \text{ cm}$



$$h^2 + 152.4^2 = 396.24^2$$

$$h^2 = 396.24^2 - 152.4^2$$

$$\sqrt{h^2} = \sqrt{133780.3776}$$

$$h = 365.76 \text{ cm}$$

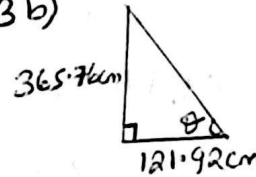
Volume of the pyramid =  $\frac{1}{3} \times \text{base area} \times \text{height}$

$$= \frac{1}{3} \times 243.84 \times 182.88 \times 365.76$$

$$= 5436834.5457 \text{ cm}^3$$

∴ The volume to which the pyramid can hold demonstration items is  $5436834.5457 \text{ cm}^3$ .

13b)



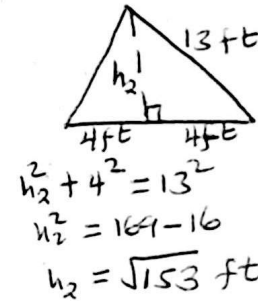
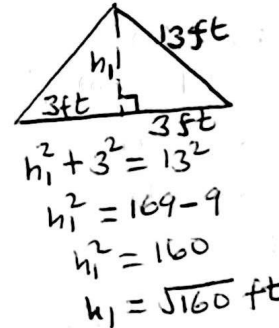
$$\tan \theta = \frac{365.76}{121.92}$$

$$\theta = \tan^{-1} \left( \frac{365.76}{121.92} \right)$$

$$\theta = 71.57^\circ$$

∴ The angle between a slanting side and the base of the food pyramid is  $71.57^\circ$ .

13c) For surface area of the pyramid to be painted.



$$\text{Total Area} = 2 \left( \frac{1}{2} \times 6 \times \sqrt{160} \right) + 2 \left( \frac{1}{2} \times 8 \times \sqrt{153} \right)$$

$$= 6\sqrt{160} + 8\sqrt{153}$$

$$\text{Total Area} = 174.8492 \text{ ft}^2$$

But 1 ft = 30.48 cm  
1 ft = 0.3048 m  
1 ft<sup>2</sup> = 0.3048<sup>2</sup> m<sup>2</sup>

$$174.8492 \text{ ft}^2 = 174.8492 \times 0.3048^2$$

$$= 16.2440 \text{ m}^2$$

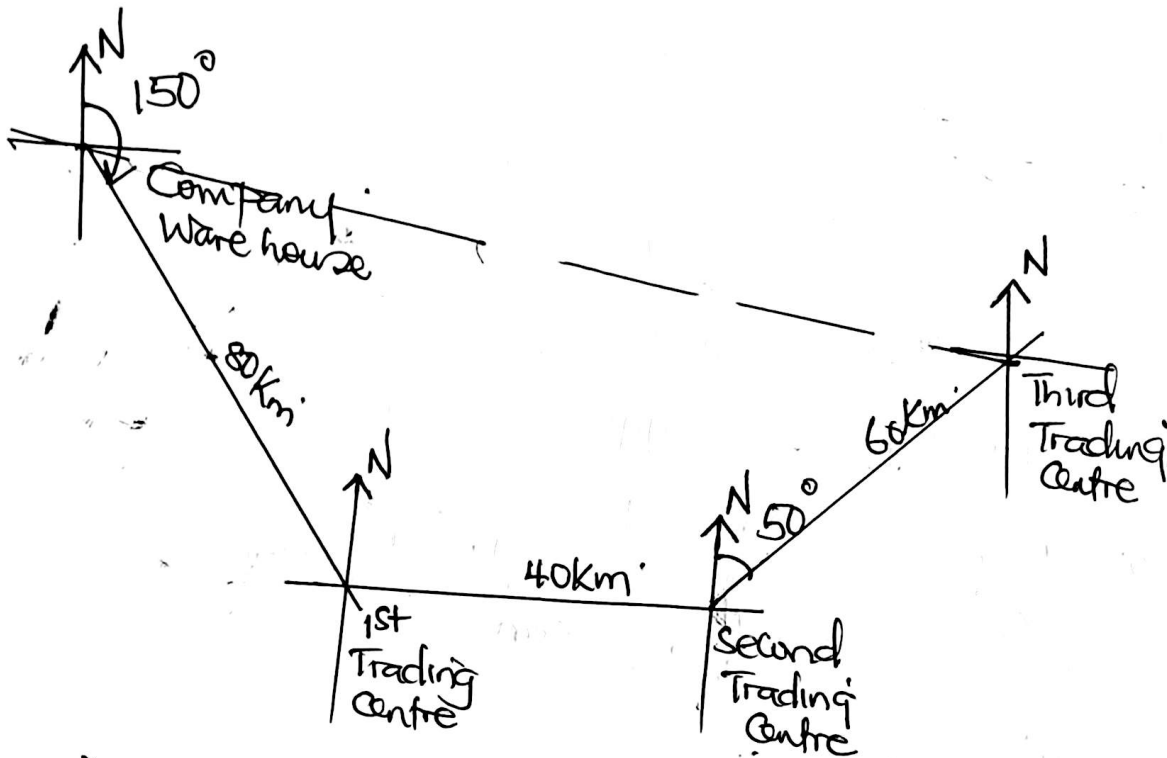
$$\text{Total cost} = 16.2440 \times 4500$$

$$= 73098.10$$

∴ The total cost of painting the food pyramid is  $0.3 \times 73098.10$ .

# ITEM 14

## Sketch



$$\text{Distance, } d = 60 \times \frac{2}{3} = 40 \text{ km}$$

## Scale

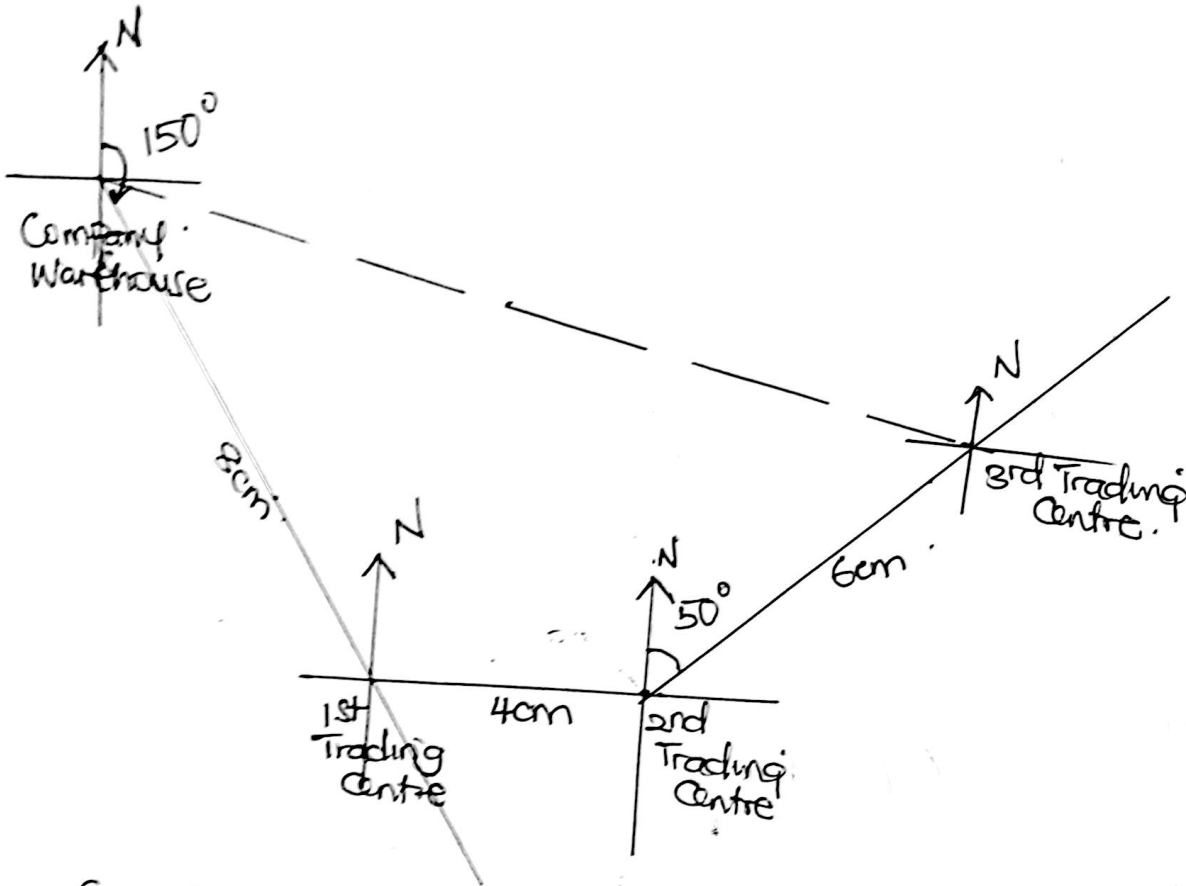
1 cm represents 10 km.

$$d_1 = 80 \text{ km} = \frac{80}{10} = 8 \text{ cm}$$

$$d_2 = 40 \text{ km} = \frac{40}{10} = 4 \text{ cm}$$

$$d_3 = 60 \text{ km} = \frac{60}{10} = 6 \text{ cm}$$

# Accurate Diagram



(a) distance = 130m.  
 distance =  $13 \times 10$   
 = 13km.

The distance of the direct route from the 3rd Trading Centre to the Company's warehouse is 130km.

(b) It uses 15km every litre of fuel.

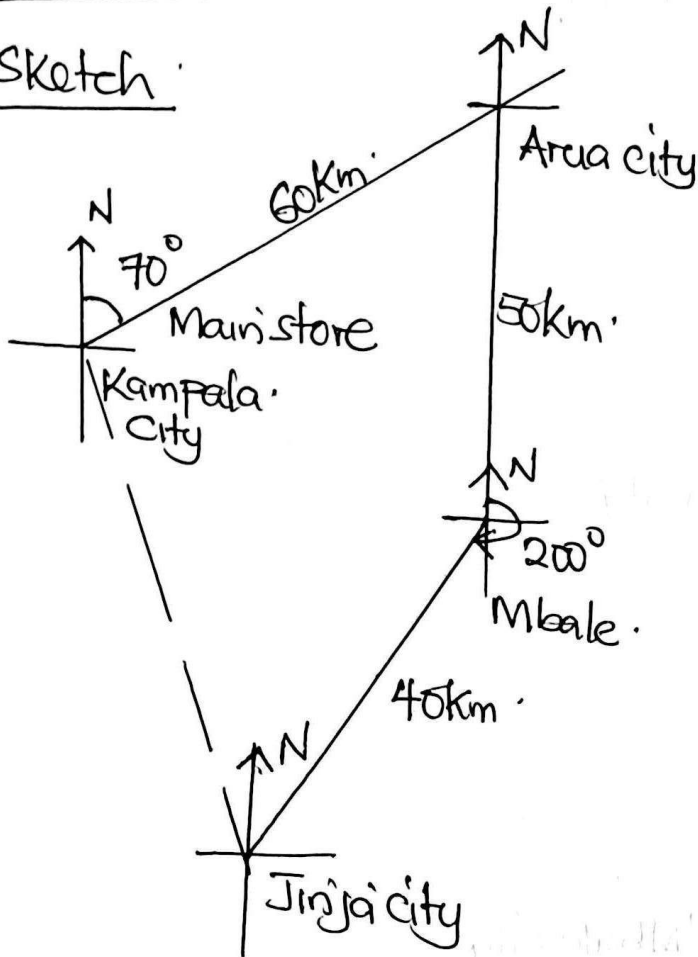
Total distance =  $80\text{km} + 40\text{km} + 60\text{km} + 130\text{km}$   
 = 310km.

The car used =  $\frac{310}{15} = 20.6\bar{6}$  litres.

He was to add more fuel in Cargo Car because the fuel consumption was more than 20 litres.

ITEM 16.

Sketch.



Scale

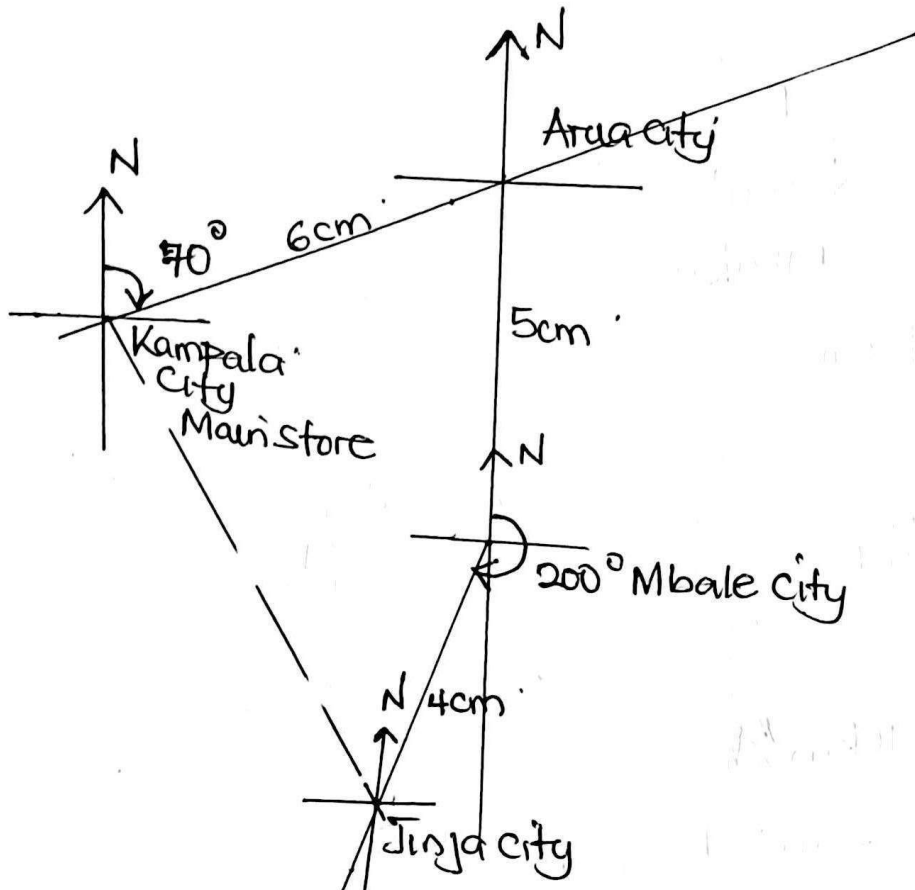
1cm represents 10km

$$d_1 = 60\text{km} = \frac{60}{10} = 6\text{cm}$$

$$d_2 = 50\text{km} = \frac{50}{10} = 5\text{cm}$$

$$d_3 = 40\text{km} = \frac{40}{10} = 4\text{cm}$$

## Accurate Diagram:



a) distance =  $7.8 \text{ cm}$   
=  $7.8 \times 10$   
=  $78 \text{ km}$

The distance of the direct route from Jinja city to the main store is  $78 \text{ km}$ .

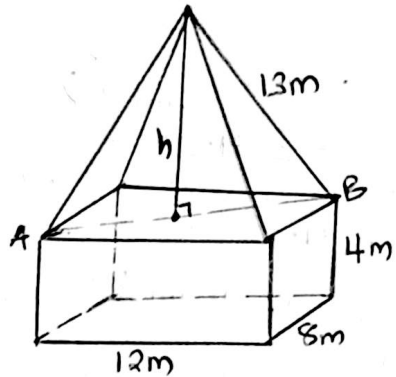
b) Total distance =  $60 \text{ km} + 50 \text{ km} + 40 \text{ km} + 78 \text{ km}$   
=  $228 \text{ km}$

Total consumption =  $\frac{228}{15} = 15.2 \text{ litres}$

The remaining fuel was not enough for the journey because the journey needed more than  $15 \text{ litres}$ .

ITEM 17

17a) i)



3 windows (0.9m by 0.6m)

1 door (2.1m by 0.8m)

1 litre paint  $\rightarrow$  15000

1 litre tin  $\rightarrow$  5m<sup>2</sup>.

Surface Area of 1 door =  $1 \times 2.1 \times 0.8 = 1.68 \text{ m}^2$

Surface Area of 3 windows =  $3 \times 0.9 \times 0.6 = 1.62 \text{ m}^2$

Surface Area of outer walls =  $2(L \times h) + 2(W \times h)$   
 $= 2(12 \times 4) + 2(8 \times 4)$   
 $= 96 + 64$   
 $= 160 \text{ m}^2$

Area to be painted = surface Area of outer walls - (surface Area of door + windows)  
 $= 160 - (1.68 + 1.62)$   
 $= 156.7 \text{ m}^2$

$\therefore$  The surface Area of wall to be painted is 156.7m<sup>2</sup>

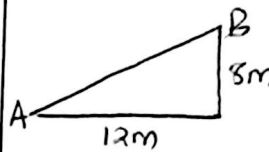
a) ii) number of tins of paint =  $\frac{\text{Surface Area to paint}}{\text{Area that a tin can paint}}$   
 $= \frac{156.7}{5}$   
 $= 31.34$   
 $\approx 32 \text{ tins}$

$\therefore$  32 tins of paint will be required to paint the house.

b) Amount to be spent on buying tins =  $32 \times 15000$   
 $= 0.9 \times 480,000$

$\therefore$  He will spend 0.9 x 480,000 on painting the whole house.

c) Height of the whole house = height of cuboid + height of pyramid roof.

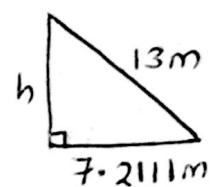


$AB^2 = 12^2 + 8^2$

$AB^2 = 144 + 64$

$\sqrt{AB^2} = \sqrt{208}$

$AB = 14.4222 \text{ m}$



$h^2 + 7.2111^2 = 13^2$

$h^2 = 13^2 - 7.2111^2$

$h^2 = 117.00003679$

$h = 10.8167 \text{ m}$

height of the house =  $10.8167 + 4$   
 $= 14.8167 \text{ m}$

$\therefore$  The height of the whole house is 14.8167m.

Volume of the house = Volume of the cuboid + Volume of pyramid  
 $= (12 \times 8 \times 4) + \left(\frac{1}{3} \times 12 \times 8 \times 10.8167\right)$   
 $= 384 + 346.1344$   
 $= 730.1344 \text{ m}^3$

$\therefore$  The Volume of the house is 730.1344m<sup>3</sup>.